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4	Supplementary Information for
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6	Facial Width-to-Height Ratio is Associated with Agonistic and Affiliative
7	Dominance in Bonobos (Pan paniscus)
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9	J. S. Martin, N. Staes, A. Weiss, J. M. G. Stevens, & A. V. Jaeggi
10	
11	Correspondence should be addressed to Jordan S. Martin
12	Email: jsm.primatology@gmail.com
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### 21 Supplementary Methods and Results

#### 22 Subjects and measures

23

A random sampling procedure was used to reduced researcher bias during facial measurement. NS removed identifiable information from photographs and randomly selected a subset of subjects from each zoo with available facial photographs, which were subsequently measured by JSM and a research assistant, neither of whom took part in collection of the behavioral and psychometric data. As described in the main text, appropriate photos with neutral expressions and forward-facing orientation were subsequently selected and measured for these subjects. fWHRs were then paired back with the remaining individual data after these measurements were completed.

- Organizational effects of androgen exposure on behavior and facial morphology could plausibly 32 occur from the prenatal period until sexual maturity. We therefore sought to focus our analysis on 33 sexually mature bonobos. Previous research on captive bonobos suggests that the onset of puberty 34 is likely to occur from approximately 6-10 years of age, with the sharpest increase in urinary 35 testosterone around 8-9 years of age for males and an earlier but more gradual increase in females 36 [1]. We therefore excluded three 7 year old subjects from our final dataset who we could not 37 confidently classify as sexually mature. This resulted in a final sample of 38 individuals across 38 five social groups. Demographic data on the resultant sample is provided below (Table S1). 39
- 40

41 **Table S1**. Sample demographics.

42

Zoo	п	# Males	# Females	Average age
				(range)
Apenheul	5	2	3	19.6 (13-34)
Frankfurt	7	2	5	25.6 (11-62)
Planckendael	5	3	2	17.4 (10-27)
Twycross	8	3	5	22 (10-36)
Wilhelma	7	2	5	28.1 (11-48)
Wuppertal	6	3	3	28.3 (12-49)

43 *Footnote*. Age in listed in years.

44

45 In the 22 subjects with available body weight measures, moderate to strong associations were also observed between sex and weight ( $r_{Biserial} = 0.82$ ) and fWHR and weight (r = 0.36). In our full 46 sample, fWHR and sex exhibit a similarly sized association ( $r_{Biserial} = 0.36$ ). While the relationship 47 between sex and fWHR may be mediated by body weight, as suggested by our primary regression 48 model (M1; see below), testosterone is also a known cause of individual differences in body size 49 [2]. It therefore remains unclear whether organizational androgen effects may be a latent common 50 51 cause of these associations. The statistically uncertain sex effect reported in the main text, after 52 conditioning on body weight, should therefore be cautiously interpreted.

53

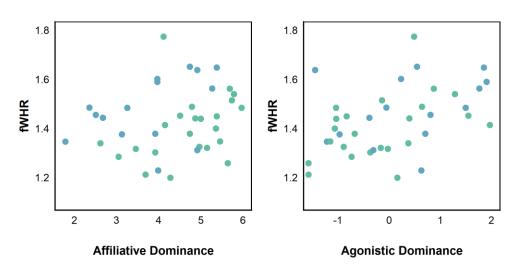
54 Scatterplots of our raw data provide initial support for the association between fWHR and both

55 affiliative and agonistic dominance (**Fig S1**), but also suggest that the strength of affiliative 66 dominance in particular is an anomal by controlling for say, and body weight. Consistent with

dominance in particular is enhanced by controlling for sex, age and body weight. Consistent with

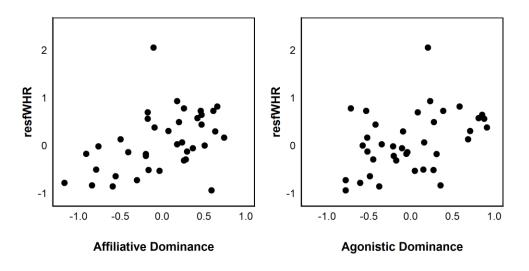
- this interpretation, a clearer affiliative dominance association is observed with fWHR residuals
  after controlling for these factors (Fig S2).

 Fig S1. Scatterplots of fWHR and the social dominance measures.



*Footnote*. Datapoints are colored separately for females (green) and males (blue). Social dominance measures are shown on the original data scale.

Fig S2. Scatterplots of fWHR residuals and the social dominance measures.



*Footnote*. Social dominance measures are standardized to 2 SD. resfWHR = residual fWHR controlling for age, sex, and body weight.

It is important to emphasize that our agonistic dominance measure was analyzed using withingroup deviations rather than absolute scores. By centering individual scores within zoos, we effectively accounted for differential opportunities for agonistic encounters across zoos. This is

77 necessary because the raw David's scores used as a measure of agonistic dominance are contingent

upon the sample size within each zoo. As further described below, we did not find support for 78 79

- further zoo-specific effects in a random slopes model (M11 below).
- 80
- 81 Statistical Analysis
- 82

83 We estimated Bayesian linear measurement error models for all analyses using the R package 'brms' [3], which interfaces with the Stan statistical programming language [4]. As noted in the 84 main text, we employed a fully Bayesian approach to statistical estimation and inference. 85 Therefore, rather than relying upon null hypothesis tests and arbitrary designations of statistical 86 significance, we used multiple sources of information to summarize and draw inferences from our 87 posterior model estimates [5]. The R Code and dataset for this manuscript have been provided as 88 additional supplementary material and can be used to replicate all analyses described below. 89

90 91

We examined the association between fWHR and measures of affiliative and agonistic dominance, 92 while accounting for error in the measurement of fWHR across photos. In addition to these 93 covariates, we also included fixed effects for years of age and sex in all models. We found that 94 inclusion of random zoo-specific intercepts did not account for a meaningful degree of variance in 95 fWHR ( $\tilde{\sigma}^2 = 0.03$  [MAD = 0.04]) and reduced the efficiency of MCMC model convergence. We 96 therefore excluded this term from our statistical models. 97

98

Our first model (M0) excluded information on body weight to assess potential sexual dimorphism 99 in fWHR irrespective of body size. We therefore estimated the following formal model structure 100 conditional on the average fWHR measurement for subject *i* using Hamiltonian Markov Chain 101 102 Monte Carlo. 103

- 104 Model 0 (M0). Main effects without body weight covariate. 105 106 fWHR<sub>EST *i*</sub> ~ Normal( $\mu_i, \sigma$ ) 107
- 108

 $\mu_i = \alpha + \beta_{ASSR} + \beta_{WgDS} + \beta_{Age} + \beta_{Sex}$ 

- $fWHR_{OBS,i} \sim Normal(fWHR_{EST,i}, fWHR_{SD,i})$ 109
- $\alpha, \beta \sim Normal(0,2)$ 110
- 111  $\sigma \sim$ Half – Cauchy(0,2)

Here, the expected subject-specific fWHR  $\mu_i$  is represented as a function of the population-level 112 intercept  $\alpha$  and population-level/fixed effects  $\beta$  for Assertiveness scores of affiliative dominance 113 114 (AssR), within-group David's scores of agonistic dominance (wgDS), age, and sex. We account for measurement error in fWHR measurements by parameterizing observed fWHR measurements 115 fWHR<sub>OBS.i</sub> as arising from a normal distribution characterized by unknown mean parameter 116 fWHR<sub>EST,i</sub> and the standard deviation fWHR<sub>SD,i</sub> of fWHR measurements for each subject. This 117 structure effectively accounts for uncertainty in our response variable while estimating the 118

regression parameters, and vice versa [5]. The expected measurement error for subjects with 119 multiple photographs was assigned to 3 subjects with single photographs. Please note that we 120 simplify specification of model priors to represent shared priors over fixed effects ( $\alpha, \beta$ ) and 121 residual and effects ( $\sigma$ ). We also suppress observed covariate values to ease interpretation, so that 122 terms such as  $\beta_{ASSR}$  implicitly denote  $\beta_{ASSR}ASSR_i$ . 123 124 For our primary analysis (M1), we then included body weight as an additional covariate to assess 125 whether links between fWHR, sex, and social dominance were independent of body size. Recent 126 body weight measures were only available for a subset of our sample, and we therefore used a 127 Bayesian imputation procedure to avoid an appreciable loss of information and statistical power. 128 We used an inclusive predictive model for estimating unmeasured body weights, incorporating all 129 main effect terms in the primary regression model, so as to reduce systematic error and better 130 approximate data missing completely at random (MCAR) [6]. We therefore estimated the 131 following model conditional on our dataset 132 133 134 Model 1 (M1). Main effects with body weight covariate. 135 136 137 138 fWHR<sub>EST *i*</sub> ~ Normal( $\mu_i, \sigma$ )  $\mu_i = \alpha + \beta_{\text{AssR}} + \beta_{\text{wgDS}} + \beta_{\text{Age}} + \beta_{\text{Sex}} + \beta_{\text{Weight}}$ 139  $fWHR_{OBS,i} \sim Normal(fWHR_{EST,i}, fWHR_{SD,i})$ 140 Weight<sub>i</sub> ~ Normal( $v_i, \sigma_{Weight}$ ) 141 142  $v_i = \alpha_{\text{Weight}} + \gamma_{\text{AssR}_{\nu}} + \gamma_{\text{wgDS}_{\nu}} + \gamma_{\text{Age}_{\nu}} + \gamma_{\text{Sex}_{\nu}} + \gamma_{\text{fWHR}_{\nu}}$  $\alpha, \beta, \gamma \sim Normal(0,2)$ 143

144  $\sigma$ ~Half – Cauchy(0,2)

Here, missing values for body weight are imputed using the regression function defined for the subject-specific expectation  $v_i$ , with random predictive uncertainty  $\sigma_{\text{Weight}}$ . Fixed effect terms in this predictive imputation model are noted by  $\gamma$ , rather than the  $\beta$  notation for fixed effects in the main fWHR model, to aid interpretation.

149

150 Cohen's  $f^2$  [7] were calculated as suggested by Selya and colleagues [8] to provide a standardized 151 metric of local effect size

152  $f^2 = \frac{R_{AB}^2 - R_A^2}{1 - R_{AB}^2}$ 

Here  $R_{AB}^2$  is the variance explained by a model containing the parameter of interest B, and  $R_A^2$  is the variance explained by a model of all other parameters A excluding B. An estimated  $f^2$  can be

negative as the sampled posterior of  $R_{AB}^2$  may be smaller than  $R_A^2$ . For ease of interpretation, we

158

## 159 Additional interaction effect models.

160

For comparison with previous research on capuchins, we also estimated additional interaction 161 models with sex-specific effects for affiliative (M2: see R Code for further details) and agonistic 162 dominance (M3), as well as an interaction between these dominance measures (M4). Given that 163 associations between personality and dominance rank have been found to vary across the lifespan 164 [e.g., 9], we also fit supplementary exploratory models estimating interactions between age and 165 affiliative (M5) and agonistic dominance (M6), as well as age by sex interactions with affiliative 166 (M7) and agonistic dominance (M8). No clear interaction effects were observed across models. In 167 addition to the absence of sex-specific interactions reported in the main text, we also did not find 168 support for age interaction effects with affiliative ( $\tilde{\beta} = 0.03$  [0.37], 90% CI [-0.57, 0.66],  $p_{>0} =$ 169 0.54,  $\tilde{f}^2 = 0$ ) or agonistic dominance ( $\tilde{\beta} = 0.01$  [0.35], 90% CI [-0.57, 0.58],  $p_{<0} = 0.51$ ,  $\tilde{f}^2 = 0$ ). 170 Sex-specific age interactions were also not present for affiliative ( $\tilde{\beta} = 0.14$  [0.88], 90% CI [-1.28, 171 1.60],  $p_{>0} = 0.56$ ,  $\tilde{f}^2 = 0$ ) or agonistic dominance ( $\tilde{\beta} = -0.20$  [0.94], 90% CI [-1.75, 1.20],  $p_{>0} =$ 172 0.59,  $\tilde{f^2} = 0$ ). 173

174

It is possible that such age by sex interactions for social dominance are non-linear across the 175 lifespan, particularly for male bonobos. We therefore further explored non-linear sex by age 176 interactions for affiliative (M9) and agonistic dominance (M10) using tensor product smoothing 177 [10]. Given the difficulty of directly interpreting non-linear regression coefficients, we used the 178 179 Watanabe-Akaike information criterion (WAIC) to conduct a fully Bayesian model comparison [11] between the main effects model (M1) and these more complex non-linear interaction models. 180 As with other information criteria such as AIC or BIC, smaller values indicate greater relative 181 182 model quality and expected predictive validity, such that WAIC Model A – WAIC Model B  $\leq -2$ provides minimal support for selection of the more complex Model A. Consistent with the 183 aforementioned results, we found that allowing for non-linear interaction effects did not 184 meaningfully enhance the quality of our models and their expected predictive validity (WAIC<sub>M9</sub> – 185 WAIC<sub>M1</sub> = 4.87 [SE = 9.33]; WAIC<sub>M10</sub> – WAIC<sub>M1</sub> = 5.85 [SE = 6.47]). 186

187

Finally, although we used within-zoo centering on David's scores, thus controlling for differential opportunities for agonistic encounters among zoos, it is possible that other unmeasured zoospecific effects could still confound our main results. We therefore also estimated a supplementary model (**M11**) examining whether random zoo-specific slopes between social dominance and fWHR enhanced model quality. In support of our main effects model (**M1**), we found that adding parameters for zoo-specific slopes reduced the expected predictive validity of our model (WAIC<sub>M11</sub> – WAIC<sub>M1</sub> = 4.89 [SE = 2.26]).

195

Our data therefore do not provide support for more complex relationships between social dominance and fWHR than are described in our main effects model. For these reasons, we relied on **M1** for drawing statistical inferences. Nonetheless, it is important to emphasize that our data provide only modest statistical power for detecting interaction and random slope effects, which would be more effectively examined in larger samples.

# SUPPLEMENT: BONOBO FWHR

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