m is the distance in trait value

e between optimal value and pop mean

 σ is the standard dev of trait value distributions in the pop

k is the steepness of the trait to condition function

s is the survival parameter

a is max female fecundity

g is the strength of sexual selection

t is the size of competing groups of males

r is the number of repeted fitness measures for each male

d is the resolution of the condition to fitness function for males, i.e. how many focal individuals did we consider to draw that curve.

m = 0;

 $\sigma = 1;$

k = 5;

a = 50; g = 10; t = 10; r = 25; d = 10;

Distribution of trait values, condition, condition after survival.

$$f[\mathbf{z}_{-}, \mathbf{m}_{-}, \sigma_{-}] := \frac{e^{-\frac{1}{2}\left(\frac{\mathbf{z}\cdot\mathbf{z}}{\sigma}\right)^{2}}}{\sigma\sqrt{2\pi}}$$

$$\operatorname{cond}[\mathbf{z}_{-}, \mathbf{k}_{-}] := e^{-(\mathbf{z})^{2}/\mathbf{k}}$$

$$\operatorname{invcond}[\mathbf{c}_{-}, \mathbf{k}_{-}] := -\sqrt{\mathbf{k}} \sqrt{\operatorname{Log}\left[\frac{1}{c}\right]}$$

$$\operatorname{fcond}[\mathbf{c}_{-}, \mathbf{m}_{-}, \sigma_{-}, \mathbf{k}_{-}] :=$$

$$\left(f[\operatorname{invcond}[\mathbf{c}, \mathbf{k}], \mathbf{m}, \sigma] + f[\operatorname{invcond}2[\mathbf{c}, \mathbf{k}], \mathbf{m}, \sigma]\right) * \frac{\sqrt{\mathbf{k}}}{2 c \sqrt{\operatorname{Log}\left[\frac{1}{c}\right]}}$$

$$\operatorname{surv}[\mathbf{c}_{-}, \mathbf{s}_{-}] := c \left(\mathbf{s} + 1\right) / (\mathbf{s} + c)$$

$$\operatorname{marginalsurv}[\mathbf{c}_{-}, \mathbf{m}_{-}, \sigma_{-}, \mathbf{k}_{-}, \mathbf{s}_{-}] := \frac{\operatorname{marginalsurv}[\mathbf{c}, \mathbf{m}, \sigma, \mathbf{k}, \mathbf{s}]}{\operatorname{NIntegrate}[\operatorname{marginalsurv}[\mathbf{c}, \mathbf{m}, \sigma, \mathbf{k}, \mathbf{s}], \{cc, 0, 1\}\}}$$

Male female covariance in fitness

```
covarmf[res_, rep_, g_, t_, m_, s_] := (
  Conditions = {};
  Densities = {};
  For
   i = 1,
    i \leq res - 1,
    i++,
    AppendTo [Conditions, (i+0.5) / res];
   \texttt{AppendTo}[\texttt{Densities}, \texttt{NIntegrate}[\texttt{fcond}[\texttt{c},\texttt{m},\,\sigma,\,\texttt{k}],\, \left\{\texttt{c},\,\texttt{i}\,/\,\texttt{res},\, \left(\texttt{i}\,+\,\texttt{1}\right)\,/\,\texttt{res}\right\}]\,]\,;
   ];
   fc = ProbabilityDistribution[fcond[c, m, σ, k], {c, 0, 1}];
  malefit =
    Table[Mean[Table[
Conditions[[i]]^g+Total[RandomVariate[fc,t-1]^g]
          t * surv[Conditions[[i]], s], rep]], {i, 1, res - 1}];
   femfit = Table[Conditions[[i]] * a * surv[Conditions[[i]], s], {i, 1, res - 1}];
  meanmalefitness = Densities.malefit;
  meanfemfitness = Densities.femfit;
  covar = Densities.((malefit - meanmalefitness) * (femfit - meanfemfitness));
   covarrelative = covar / (meanmalefitness * meanfemfitness);
   covarrelative
```

Males variance in relative fitness

```
res = 50;
rep = 2;
g = 1;
m = 2;
t = 2;
```

```
varmales[res_, rep_, g_, t_, m_, s_] := (
  Conditions = { };
  Densities = {};
  For
   i = 1,
   i \leq res - 1,
   i++,
   AppendTo[Conditions, (i+0.5)/res];
   AppendTo [Densities, NIntegrate [fcond[c, m, \sigma, k], {c, i/res, (i+1)/res}]];
  ];
  fc = ProbabilityDistribution[fcond[c, m, σ, k], {c, 0, 1}];
  malefit = Table[Mean[Table[(Conditions[[i]]^g /
          (Conditions[[i]]^g + Total[RandomVariate[fc, t-1]^g])) *
        t * surv[Conditions[[i]], s], rep]], {i, 1, res - 1}];
  meanmalefitness = Densities.malefit;
  varmalefitness = Densities.(malefit - meanmalefitness) ^2;
```

```
varmalerelative = varmalefitness / (meanmalefitness) ^2;
varmalerelative)
```

Females variance in relative fitness

```
varfem[res_, a_, b_, m_, s_] := (
Conditions = {};
Densities = {};
For[
    i = 1,
    i ≤ res - 1,
    i++,
    AppendTo[Conditions, (i+0.5) / res];
    AppendTo[Densities, NIntegrate[fcond[c, m, σ, k], {c, i / res, (i+1) / res}]];
];
femfit = Table[Conditions[[i]]^b * a * surv[Conditions[[i]], s], {i, 1, res - 1}];
meanfemfitness = Densities.femfit;
varfemfitness = Densities.(femfit - meanfemfitness)^2;
varfemrelative = varfemfitness / (meanfemfitness)^2;
varfemrelative)
```